

How to use 'chunking' to help with short division (dividing by a single digit)

- 'The Chunking Method' is helpful when we want to divide a number by a single digit number but we don't know that number's times table.

Example 1: Dividing a 2-digit number by a one-digit number

- Read the number sentence:

$$27 \div 9 =$$

Twenty-seven divided by nine equals

- The **divisor** is **9** and, when we don't know the **9** times table, the question seems tricky.

- However **division** is **repeated subtraction**. When we read this number sentence:

$$27 \div 9 =$$

Twenty-seven divided by nine equals

... the sentence is asking, "How many times does **9** go into **27**?"

or

"How many times can you subtract **9** from **27**?"

- The answer can be found by **repeatedly subtracting 9 from 27**, as shown below:

$$\begin{array}{r} \cancel{2}7 \\ - \quad 9 \quad (9 \times 1) \\ \hline \cancel{1}8 \\ - \quad 9 \quad (9 \times 1) \\ \hline 09 \\ - \quad 9 \quad (9 \times 1) \\ \hline 00 \end{array}$$

- Notice that every time **9** is **subtracted**, a note is added in brackets to the right-hand side of the calculation (**9**×**1**). Now it is easy to count how many times **9** was **subtracted from 27** to reach zero (**0**).

- So, **9** was **subtracted** from **27** three times and this is our answer:

$$27 \div 9 = 3$$

Example 2: Dividing a 2-digit number by a one-digit number
(using a 'Ready Reckoner' of multiplication facts)

- Read the number sentence:

$$96 \div 4 =$$

Ninety-six divided by four equals

- The **divisor** is **4** and, when we don't know the **4** times table, the question seems tricky.
- However **division** is **repeated subtraction**. When we read this number sentence:

$$96 \div 4 =$$

Ninety-six divided by four equals

... the sentence is asking, "How many times does the number 4 go into 96?"

or

"How many times can you subtract 4 from 96?"

- The answer can be found by **repeatedly subtracting 4 from 96** but this will take a long time, with lots of subtractions. Instead, we can create a '**Ready Reckoner**' to the right of the page by starting at $4 \times 1 =$ and adding on 4 each time, until we arrive at $4 \times 10 = 40$. (All our answers are **multiples of 4**). As we are subtracting 4s from 96, it is clear that 40 is a long way short of 96. By doubling $4 \times 10 = 40$ to $4 \times 20 = 80$, we are a closer to 96. This has now been added to the '**Ready Reckoner**'.

<u>'Ready Reckoner'</u>		
4	$\times 1 =$	4
	$\times 2 =$	8
	$\times 3 =$	12
	$\times 4 =$	16
	$\times 5 =$	20
	$\times 6 =$	24
	$\times 7 =$	28
	$\times 8 =$	32
	$\times 9 =$	36
	$\times 10 =$	40
	$\times 20 =$	80

- We are then well-prepared to subtract **groups** (or **multiples**) of **4** from **96**, which will be much quicker. These **groups** or '**chunks**' of a number give '**The Chunking Method**' its name.
- Starting at **96**, first the number **80** is subtracted. This is **20 groups of 4** and a note of this (4×20) is added to the right-hand side of the calculation, to use later.

$$\begin{array}{r} 96 \\ - 80 \quad (4 \times 20) \\ \hline 16 \end{array}$$

'Ready Reckoner'	
4 × 1 =	4
× 2 =	8
× 3 =	12
× 4 =	16
× 5 =	20
× 6 =	24
× 7 =	28
× 8 =	32
× 9 =	36
× 10 =	40
× 20 =	80

- The number remaining is 16. Looking at our 'Ready Reckoner', we see that 4 groups of 4 make 16. So now we can subtract 16, making sure that a note of this (4×4) is added to the right-hand side of the calculation, to use later.

$$\begin{array}{r} 96 \\ - 80 \quad (4 \times 20) \\ \hline 16 \\ - 16 \quad (4 \times 4) \\ \hline 00 \end{array}$$

'Ready Reckoner'	
4 × 1 =	4
× 2 =	8
× 3 =	12
× 4 =	16
× 5 =	20
× 6 =	24
× 7 =	28
× 8 =	32
× 9 =	36
× 10 =	40
× 20 =	80

- Now that we have reached zero (0), use the notes in brackets to work out how many times the number 4 was subtracted from 96.
- 4 was subtracted 24 times and that is our answer:

$$96 \div 4 = 24$$